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1. Introduction

The sit to stand (STS) analysis and particularly the 5-repetition sit-to-stand test (FRSTST) introduced by Bohannon [1] are widely used measurements of functional strength and disability level of young and elderly subjects. For example in rehabilitation and orthopedics, these tests are mainly used for the functional evaluation of:

- children with cerebral palsy, for which the FRSTST was found a reliable and valid test to measure functional muscle strength in children with spastic diplegia in clinics [2, 3];
- older adults, for which the FRSTST test-retest reliability can be interpreted as good to high in most populations and settings [1];
- subjects with Parkinson’s disease [4];
- paraplegic subjects [5];
- subjects with multiple sclerosis [6];
- above knee amputees [7] and unilateral transtibial amputees [8];
- subjects with rheumatoid arthritis [9] or alterations in advanced knee osteoarthritis [10];

The STS analysis also currently helps to develop:

- STS assistive device for the elderly and disabled [12];
- STS and gait support system for elderly and disabled [13], and also handrail positions and shapes that best facilitate STS movement [14];
- car cockpits taking into account the comfort analyzes of subject seated in a car [15, 16] or on a simple seat [17, 18].
Usually, the functional strength and the disability level during STS are evaluated by calculating the total forces of hip and knee extensors [1] and the center of mass (COM) accelerations [19]. Nevertheless, it is known that determining with accuracy the kinematics (including the COM) and dynamics (including the joint forces and torques) in the human body is still a great challenge in biomechanical modeling [20]. Consequently, the aim of the present study consists in presenting a rigorous methodology for the non-invasive assessment of joint efforts and the associated kinematic variables during STS movement. This method is based on a three-dimensional dynamical inverse model of the human body. Like other classical dynamical inverse analyzes [21–25] in biomechanics of motion, the model proposed here [18] uses measurements of external interactions (forces $F_{ext}$ and torques $M_{ext}$) between the body and its environment, and also measurements of the system configuration $x_{exp}$. The corresponding joint coordinates $q$ are numerically determined by a kinematic identification process, and the corresponding velocities $\dot{q}$ and accelerations $\ddot{q}$ are presently estimated from the $q$, using a numerical derivative. Finally, the model provides the joint interactions with the use of a symbolically generated recursive Newton-Euler formalism [26, 27].

![Figure 1. Principle of the inverse dynamical model: from the experiment to the vector $Q$ of the joint efforts.](image)

This model is applied to experiments of STS: the subject, initially seated, is asked to get up without moving the feet, and without arm or hand contact with the environment or with any part of the body. In this paper, both postural behaviors of slow and fast STS are analyzed and compared.

2. Material and methods

First, this section summarizes the features of the proposed human body model and describes the corresponding experimental set-up and process. Second, a preliminary calculation defines the centers of mass and centers of pressure of the model, and also develops the relation between their local and global components: these variables are known as diagnostic tools in rehabilitation and physical ergonomics [28–30], and useful for the present model analysis. Third, the theoretical investigation will develop both kinematic and dynamical analyzes related to this model, and both analyzes will be applied to the STS.

2.1. Model features and hypotheses

The proposed human body model is composed of 28 position sensors (Fig. 2), defining 13 rigid bodies: the head, both upper arms, both lower arms, the trunk, the pelvis, both thighs, both shanks, and both feet. Each of the 13 bodies is defined by three position sensors, in order to
know the three-dimensional configuration of each body. Further, these bodies are linked by spherical joints corresponding to 12 anatomical landmarks (referring to [31]): the C7 vertebra, both shoulders (acromioclavicular joints), both elbow joint centers, the sacrum, both greater trochanters, both knee joint centers, both lateral heads of the malleolus. Consequently, the system is fully described by a total of $13 \times 6$ variables - $12 \times 3$ spherical joint constraints = 42 generalized coordinates, representing the 42 degrees of freedom of the model. As shown in Fig. 1, the inverse dynamical model provides the column vector $Q$ of joint forces and torques, using three sets of inputs:

1. The external forces and torques.
2. The inertia parameters.
3. The joint coordinates, velocities and accelerations.

A few characteristics and assumptions must be formulated about these three sets of inputs:

- The external forces $F_{\text{ext}}$ and torques $M_{\text{ext}}$ between the body and its environment are measured by a dynamometric device. The external pure torques are not considered.
- The body inertia parameters, i.e. the masses $m_i$, moments of inertia $I_i$ and center of mass positions $\overrightarrow{OM_i}$ of the $i$th body member ($i = 1, \ldots, 13$) are taken from the inertia tables of de Leva [31] (1996) readjusted from the Zatsiorsky-Seluyanov’s mass inertia parameters [32] (1990). The inertia parameter identification is not part of this research: indeed, previous investigations [33] showed that non-invasive in-vivo identifications of the body parameters are presently inappropriate to the human body dynamics, because the resulting body parameters have significant errors due to experimental errors in the input data, such as the body configuration, or the external force and torque measurements.
- The system configuration, i.e. the experimental absolute coordinates $x_{\text{exp}}$ of the reference points, are measured by the 28 optokinetic sensors. The corresponding joint coordinates $q$ are numerically determined by a kinematic identification process and the corresponding velocities $\dot{q}$ and accelerations $\ddot{q}$ are presently estimated from the $q$ by a numerical derivative.
using finite differences. Considering the joint kinematics, we are aware that more adequate joint models could be used: in particular, previous studies [34, 35] have developed more complex three-dimensional joints for the knee and the shoulder. The present model has been implemented with spherical joints but will be extended to include more involved joints in the future. Further, the results of the kinematic analysis for this experiment show that the spherical joints considered here sufficiently fit the considered motion (see Section 3.1).

2.2. Experimental set-up and procedure

Let us consider the system reference frame $\hat{I}$, located at a fixed point O on the laboratory floor (Fig. 3). In this reference frame, the motion measurement set-up consists of optokinetic sensors and six infra-red cameras ($\text{Elite} - \text{BTSTM}$), that estimate the coordinate vectors $O\hat{X}_{\text{exp},n} = [\hat{I}]^T x_{\text{exp},n}$ of the joint reference points, i.e. of the optokinetic sensors. Further, the interaction measurement set-up consists of two force platforms at the feet contact and one force platform at the seat, for the determination of the horizontal and vertical interaction forces $F_{\text{ext}} = [\hat{I}]^T F_{\text{ext}}$ and torques $M_{\text{ext}} = [\hat{I}]^T M_{\text{ext}}$ between the body and these platforms. The three independent platforms are composed of four force sensors [36], designed by our laboratory, and located at the edges of these platforms. The device provides a total number of $3 \times 4 \times 3 = 36$ force components. All data are sampled at 100 Hz, using an adaptive low-pass numerical filter (implemented by $\text{Elite} - \text{BTSTM}$).

![Figure 3. Experimental set-up, related to the system reference frame $\hat{I}$, located at a fixed point O on the laboratory floor. $O\hat{X}_{\text{exp},n}$ represents the coordinate vectors of the optokinetic sensors.](image)

The experiments were performed by one person related to our laboratory, who gave his informed consent to perform the experiments. Note that further experiments of STS are
presently performed in order to discuss the repeatability of the data and results for several subjects and several behaviors of STS.

At the beginning of each test, the subject is seated as shown in Fig. 3. Then the subject is asked to get up from the seat. During the whole experiment, the observers check that:

- the subject do not move feet, in order to obtain a good repeatability of the initial and final body configurations;
- the subject has neither arm nor hand contact with the environment or the rest of the body.

Two behaviors of STS are analyzed and compared in this paper, in order to compare a "slow" and a "fast" STS. For both tests, the time evolution of the body motion permits the definition of three phases:

1. The initial phase: the subject is seated, it is assumed that the subject is at an equilibrium state, i.e. the subject is only performing forces necessary to maintain his initial posture.
2. The transient phase, composed of two sub-phases: a first transient sub-phase when the subject begins to get up and the subject thighs are still in contact with the seat; a second transient sub-phase, when the subject continues to get up without seat contact.
3. The final phase: the subject maintains his standing-up position; it is assumed that this is the second equilibrium state of the subject during the test.

2.3. Center of mass and center of pressure

This section defines the centers of mass and centers of pressure of the proposed model, and also develops the relation between their local and global components [29, 30].

2.3.1. Centers of mass

The position of the global center of mass (GCOM) of the human body can be written as follows:

$$\overrightarrow{OM} = \frac{\sum_{i=1}^{13} m_i \overrightarrow{OM}_i}{\sum_{i=1}^{13} m_i}$$

where

- $\overrightarrow{OM}_i$ is the position vector of the local center of mass LCOM of the $i^{th}$ body member ($i=1, \ldots, 13$); the values of $\overrightarrow{OM}_i$ are estimated from the human body configuration and the inertia tables of de Leva [31];
- $m_i$ is the mass of the $i^{th}$ member ($i=1, \ldots, 13$); the values of $m_i$ are estimated from the inertia tables.

Remember that the integration of the platform force data provides more accurate values of the GCOM variations [37], which are used as diagnostic tools in rehabilitation and physical ergonomics. However, the GCOM calculated by this method is equal to the actual GCOM plus one undetermined constant value. Further, it was shown for instance that the differences
between the GCOM estimated by these two methods are less than 0.3\% height in all 3 components for able bodied subjects [37]. Consequently, the upper definition of the GCOM is preferred to estimate the actual GCOM value of the present human body model.

2.3.2. Centers of pressure

For each force platform, the local center of pressure (LCOP) components, related to the system referential point \( O \), can be determined from the platform force data, using the following definition:

\[
\vec{OP}_j = (X_{P_j}, Y_{P_j}, Z_{P_j}) = (-\frac{M_{Y_j}}{R_{P_{jz}}}, \frac{M_{X_j}}{R_{P_{jz}}}, H_j)
\]  

(2)

where

- the index \( j \) indicates the platform: \( j = 1, 2 \) or 3 for the left foot platform, the right foot platform or the seat platform, respectively;
- \( R_{P_{jz}} \) is the vertical component of the force on the \( j \)th platform;
- \( M_{X_j} \) and \( M_{Y_j} \) are anterior-posterior and lateral components, respectively, of the resulting moment on the \( j \)th platform, related to the reference \( O \);
- \( H_j \) is the measured height of the \( j \)th platform; \( H_j \) is assumed to be constant during the experiment.

The global center of pressure (GCOP) [29, 30] is defined as the weighted sum of the LCOP on every contact platform. Its expression related to the system referential point \( O \) is given by :

\[
\vec{OP} = \frac{\sum_{j=1}^{3} R_{P_j} \cdot \vec{OP}_j}{\sum_{j=1}^{3} R_{P_j}}
\]  

(3)

where, for the platforms from \( j = 1 \) to 3 (i.e. \( j = 1 \) for the left foot platform, \( j = 2 \) for the right foot platform and \( j = 3 \) for the seat platform):

- the index \( j \) indicates the platform;
- \( \vec{OP}_j \) is the vector of position of the LCOP on the \( j \)th platform;
- \( R_{P_j} \) is the global force data on the \( j \)th platform.

Let us note that \( \vec{OP}_j \) and \( R_{P_j} \) are totally estimated from the platform force data. In particular, during the second part of the transient phase and the final phase, when there is no contact between the subject thighs and the seat, \( R_{P_3} = 0 \) and \( \vec{OP} \) does not take into consideration \( OP_3 \), which is undetermined from Equation (2).

Finally, both centers of mass and centers of pressure will be presented in the ‘Results’ Section, because these are useful in rehabilitation and physical ergonomics. However, only the LCOMs, estimated from the system configuration and the tables of inertia, are essential for the implementation of the musculoskeletal analysis presented in Fig. 1.
2.4. Theoretical investigation

The theoretical investigation of the model is developed in two steps:
- First, the joint coordinates $q$ are numerically determined by an identification process that estimates the joint coordinates of the multibody model that best fit the experimental joint positions $x_{\text{exp,n}}$.
- Second, the dynamical model provides the vector $Q$ of joint torques during the experiments, using a symbolic generated recursive Newton-Euler formalism. Let us note that this vectorial formulation allows the results to be independent of the angle variable in the spherical joints, whose choice and sequence are rather defined for a methodical implementation than for physiological reasons.

2.4.1. Kinematic analysis

The joint coordinates $q$ are numerically determined by an identification process that estimates the joint coordinates of the multibody model that best fit the experimental joint positions $x_{\text{exp,n}}$. As proposed by Ref. [20], the optimization problem can be formulated as a non-linear least-square problem applied for each body configuration, at each time instant $t_k$, $k = 1, \ldots, T$, where $T$ is the last time sample of each test. Consequently, the cost function $f_{\text{cost}}(t_k)$ can be written at each time instant $t_k$ as follows:

$$f_{\text{cost}}(t_k) = \sum_{n=1}^{28} |x_{\text{mod,n}}(q(t_k)) - x_{\text{exp,n}}(t_k)|^2$$

(4)

where

- the index $n = 1, \ldots, 28$ indicates the optokinetic sensor;
- $q(t_k)$ is the joint coordinate vector at the time instant $t_k$, and is the variable of the optimization process;
- $x_{\text{mod,n}}(q(t_k))$ is the cartesian coordinate of the $n^{th}$ optokinetic sensor at the time instant $t_k$, obtained from the $q(t_k)$, using the forward kinematic model;
- $x_{\text{exp,n}}(t_k)$ is the cartesian coordinate of the $n^{th}$ optokinetic sensor at the time instant $t_k$, provided by the experimental set-up.

Fig. 4 schematically outlines the identification process, which involves two consecutive steps:

1. A pre-process calculates the mean distances $l_i$ between the joints for each of the $i^{th}$ body member, using the experimental joint cartesian coordinates $x_{\text{exp,n}}(t_k)$. The reason is that the approach is based on a multibody model, composed of rigid bodies, for which a variable size of the bodies would be irrelevant.

2. The model joint cartesian coordinates $x_{\text{mod,n}}$ are given by a forward kinematic model using the $l_i$ distances and an initial value (set to zero) of the joint coordinates $q(t_k)$ that we want to determine. The cost function of this least-square optimization is defined as the sum of the square components of the absolute error vector between $x_{\text{exp,n}}(t_k)$ and $x_{\text{mod,n}}(q(t_k))$ of the $n$ optokinetic sensors at the time instant $t_k$. In order to improve the process convergence, the optimal value of $x_{\text{mod,n}}(q(t_k))$ becomes the initial condition of the next iteration at the time instant $t_{k+1}$. 

The corresponding velocities $\dot{q}$ and accelerations $\ddot{q}$ are presently derived from the joint coordinates $q(t_k)$ and approximated by finite differences. The noise in $q(t_k)$ could be a significant source of error in the $\dot{q}$ and $\ddot{q}$ estimations, and thus in the dynamical analysis. Consequently, an optimization of $\dot{q}$ and $\ddot{q}$ will probably be suggested in the future. Nevertheless, the fact that the $x_{\text{exp},n}$ are measured using an adaptive low-pass numerical filter and that the $q(t_k)$ are obtained using a kinematic optimization largely improves the $\dot{q}$ and $\ddot{q}$ accuracy.

2.4.2. Dynamical analysis

As proposed by Ref. [39], the system dynamical equations are obtained from a Newton-Euler formalism [26, 27]: this algorithm provides the vector $Q$ of internal interaction torques and forces at the joints for any configuration of the multibody system, in the form of an inverse dynamical model (Equation 5), a semi-direct dynamical model (Equation 6):

\[
Q = f(q, \dot{q}, \ddot{q}, F_{\text{ext}}, M_{\text{ext}}, g) \quad \text{(5)}
\]

\[
= M(q)\ddot{q} + G(q, \dot{q}, F_{\text{ext}}, M_{\text{ext}}, g) \quad \text{(6)}
\]

where

- $q$ ($42 \times 1$) is the vector of the human body joint coordinates, i.e. successively the three angular coordinates for each of the 13 members (3 (translations for the first member LCOM position) + 13 (members) × 3 (angular coordinates) = 42 components); the three angular coordinates per member represent the spherical joint; let us note that three translations per joint have been introduced and locked in order to permit the joint force calculations without interfering with the model [26, 27];
- $\dot{q}$ and $\ddot{q}$ ($42 \times 1$) are the joint velocities and accelerations, respectively;
- $F_{\text{ext}}$ and $M_{\text{ext}}$ ($42 \times 1$) are the three-dimensional components of the global external forces and torques applied to each of the body members;
- $g$ ($1 \times 3$) is the gravity;
Methodology for the Assessment of Joint Efforts During Sit to Stand Movement

- \( M(q) \) (42 × 42) is the positive-definite symmetric mass matrix;
- \( G(q, \dot{q}, F_{\text{ext}}, M_{\text{ext}}, g) \) (42 × 1) is the dynamical vector containing the gyroscopic, centrifuged and three-dimensional terms resulting from the system configurations, velocities, and also the external forces and torques and gravity applied to the system.

3. Results

In this section, the model is applied to two behaviors of STS, as follows:

- At each time instant \( t_k \), the kinematic optimization problem provides the human body joint coordinates \( q(t_k) \) that best fit the experimental joint positions \( x_{\text{exp},n}(t_k) \). From these results, an error analysis of the fitted model and a short joint kinematic analysis are developed for two behaviors of STS, defined as a slow and a fast motion, respectively.
- The inverse dynamical model provides the vector \( Q \) of the joint forces and torques for the slow and fast motions, respectively.

Furthermore, segment animations have been developed in order to present the kinematics and dynamics results on the model in a convenient manner. These animations are available on Ref. [40], and a few samples are described in this section.

3.1. Kinematic analysis

In terms of CPU time performance, the kinematic identification process, using MATLAB\textsuperscript{TM} on a Pentium IV 530, 3 GHz processor, requires ca. 30 CPU seconds per 100 experimental samples, i.e. per second of studied motion. Further, the data reconstruction for the animation requires ca. 25 CPU seconds per second of studied motion. Consequently, the total optimization and display process requires ca. 55 CPU seconds per second of studied motion, i.e. in practice, this approximately requires 11 minutes for 10 seconds of motion data recording. Finally, let us note that the identification process time was reduced by 60% using a mexfunction from MATLAB\textsuperscript{TM} to C++.

At each time instant \( t_k \), the model joint cartesian coordinates \( x_{\text{mod},n}(q(t_k)) \) of one behavior (here, the fast motion) can be recalculated in order to build the fitted model (blue in Fig. 5). This fitted model, using purely rigid bodies, can be compared to the purely experimental model (red in Fig. 5), based on the experimental joint cartesian coordinates \( x_{\text{exp},n}(t_k) \).

Further, an error analysis provides the global relative errors between \( x_{\text{mod},n}(q(t_k)) \) and \( x_{\text{exp},n}(t_k) \) for the two behaviors of STS, in percentage of the corresponding \( x_{\text{exp},n}(t_k) \) at each time instant \( t_k \) (Fig. 6). For the fast motion (resp. the low motion), the maximal value of the global relative error is equal to 11.46% (resp. 8.27%) of the corresponding \( x_{\text{exp},n}(t_k) \), and the mean value of the global relative error is equal to 0.31% (resp. 0.33%), corresponding to a mean absolute error equivalent to 3.8mm (resp. 3.9mm) in each direction at each joint. In both cases, the error peaks occur during the transient phase of the motion.

Finally, selected results of joint kinematics are presented as follows:

1. The GCOM trajectories are presented (Fig. 7) during the slow a fast motions.
2. As an example, the model joint kinematics are compared during the slow and fast motions, for two joints: the consecutive angular coordinates $R_3$, $R_1$ and $R_2$ are described at the
sacrum (Fig. 8), i.e. from the pelvis member to the trunk member, and also at the right elbow (Fig. 9), i.e. from the upper arm to the lower arm.

![Figure 7](image-url) Trajectory of the GCOM during the slow (green) and fast (blue) getting-up motions.

![Figure 8](image-url) Time evolution of the three consecutive angular coordinates $R_3$, $R_1$ and $R_2$, respectively, at the sacrum: comparison of the slow (green) and fast (blue) getting-up motions.

### 3.2. Dynamical analysis

On the basis of the reference frame defined in Fig. 3, the dynamical analysis provides the time evolution of the global joint torques (Fig. 10) and forces (Fig. 11), for the slow and fast behaviors.
Figure 9. Time evolution of the three consecutive angular coordinates $R_3$, $R_1$ and $R_2$, respectively, at the elbow: comparison of the slow (green) and fast (blue) getting-up motions.

Furthermore, body segment animations have been developed in order to show the evolution of the joint positions, the corresponding global joint torques, and also the local and global centers of mass and pressure. Samples of this animation are presented in Fig. 12, at four time instants $t_k$ during the fast STS behavior.

4. Discussion and conclusion

This section presents the benefits and limitations of this methodology, and also the perspectives for future studies.

4.1. Benefits and limitations

The present inverse dynamical model of the human body coupled with a kinematic identification of the model configurations (Fig. 1) is proposed as an accurate method to estimate the joint efforts in dynamical contexts, as presented from Fig. 1. Nevertheless, three main limitations of the present inverse dynamical model must be discussed.

1. The geometrical limitation, due to the use of spherical joints: The results of the kinematic analysis for this experiment show that the spherical joints considered here sufficiently fit the considered motion, with $x_{mod,n}(\theta(t_k))$ errors corresponding to a mean absolute error inferior to 3.9mm in each direction at each joint. However, using previous investigation results, the present model will be extended to include more involved joints in the future, particularly for the knees [34] and the shoulders [35].
Methodology for the Assessment of Joint Efforts During Sit to Stand Movement

Figure 10. Time evolution of the global joint torques: superposition of the global joint torques at each joint, during the slow (green) and fast (blue) getting-up motions.
Figure 11. Time evolution of the joint forces: superposition of the three components of joint forces at each joint, during the slow (green) and fast (blue) getting-up motions.
Methodology for the Assessment of Joint Efforts During Sit to Stand Movement

Figure 12. Samples of the fast STS, at four time instants $t_k$: the fitted model (in blue), featuring the global torques (in black) at each model joint, and also the GCOM (red point) and the GCOP (green star).

2. The kinematic limitation, due to the rigid multibody system assumption: Like other classical dynamical inverse analyzes [21–25] in biomechanics of motion, the proposed model is composed of linked rigid bodies. However, in reality, the body is not composed of a set of rigid bodies. Rather, each body member consists of a rigid part (bone), and a non-rigid part (skin, muscle, ligament, tendon, connective tissue, and other soft tissue structures) [38]: during any motion, the skeletal structures of the body experience accelerations, whereas the soft tissue motion is delayed, due to damped vibrations of the member. Consequently, the errors in the optimized joint coordinates $q$ may introduce errors in the velocities $\dot{q}$ and accelerations $\ddot{q}$, and thus introduce errors in the estimation of the internal efforts.

3. The dynamical limitation, due to the approximation of the body inertia parameters: The body inertia parameters, i.e. the masses $m_i$, moments of inertia $I_i$ and center of mass positions $\bar{OM}_i$ of the $i^\text{th}$ body member ($i = 1, \ldots, 13$) are approximated, using inertia tables [31]. Consequently, the errors in the estimated internal efforts $Q$ increase if the corresponding body member accelerations increase. This is the reason why the present model is only proposed for rather small dynamics, such as the STS experiment, walking experiments or other motions without significant impact. Further, let us remember that previous investigations [33] showed that the non-invasive body parameter identifications during the
motions are presently inappropriate to the human body dynamics, because the resulting body parameters present large errors due to experimental errors in the input data, such as the body configuration, external force and torque measurements.

4.2. Perspectives
Finally, in the context of the hardness to perform efforts, the perspectives of this research is to quantify with a satisfying accuracy the main joint and muscle efforts of subjects in different dynamical contexts, and to apply the model to:

- physical therapy, in order to analyze joint efforts of subjects in different motion contexts, particularly for the evaluation, the follow-up and the treatment of patients in rehabilitation and orthopedics;
- comfort analysis is vehicle and car occupant dynamics, in order to analyze the hardness of going into and out of vehicles, and simulate the car occupant dynamics before crash.

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5. References
Methodology for the Assessment of Joint Efforts During Sit to Stand Movement


